

# An empirical model of SWIM speckle noise spectrum

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## Motivation

- For SWIM, the accurate estimation of speckle noise spectrum close to alongtrack direction is a problem.
- In 2020, Hauser proposed an empirical model to estimate the speckle noise spectrum along the track. This method is currently the most accurate estimation method for the speckle noise spectrum along the track.
- The speckle noise spectrum sample of this method is from the fluctuation spectrum along the orbit. However the fluctuation spectrum maybe contain the modulation spectrum of ocean waves.
- We adopt another sample acquisition method and establish an improved empirical model.



## OUTLINES

1. speckle noise spectrum sample acquisition method

2. establishment of the empirical speckle noise spectrum model

3. model verification

4. conclusion



# Part1:Speckle noise spectrum sample acquisition method

• SWIM can only obtain the fluctuation spectrum, but the fluctuation spectrum contains modulation spectrum:

$$P_{dsig} = P_m P_{IR} + P_{sp}$$

- our method:
  - The fluctuation spectrum: observed in  $\pm 40^{\circ}$  of the side wave direction, the observation azimuth is also in  $\pm 15^{\circ}$  along track direction (called direct method). At this time, the fluctuation spectrum contains less wave modulation spectrum.
  - $P_{sp} = P_{dsig} P_m P_{IR}$ : the observation azimuth is also in ±15° along track direction (called indirect method). Among them,  $P_m = MTF \cdot k^2 F$ , F is the empirical wave spectrum calculated by the wave parameters from MF reanalysis data, MTF is from the measured values by SWIM L2 product.



### Step1: Speckle noise spectrum sample acquisition method

- Azimuth range corresponding to the sample : ±15° from the along-track direction
- Sea surface conditions classification of the sample For three different sea surface conditions, the speckle noise spectrum of the indirect method is fitted in the wavenumber domain.
  - ➤ 1<sup>st</sup>:HS<2,WS<5</p>
  - ➤ 2<sup>nd</sup>:HS<2,5<WS<9</p>
  - ➢ 3<sup>rd</sup>:2<HS<4,9<WS</p>
- The method of determining the azimuth along the orbit The calculation considers the deviation angle  $\Phi_0$  of the satellite flight direction caused by the rotation of the earth.

 $\Phi_0$  is related to latitude, ascending or descending, uptrack or downtrack. The latitude intervals:[-70°~-50°], [-50°~-30°], [-30°~-10°], [-10°~-10°], [10°~30°], [30°~50°], [50°~70°]



Conditions: 0° latitude, beam 10, ascending, uptrack,  $\Phi=2^{\circ}$ .





### Conditions: 0° latitude, beam 10, ascending, uptrack, different sea state

### The first sea surface conditions





#### The second sea surface conditions





#### The third sea surface conditions





### Part2: Establishment of the empirical speckle noise spectrum model

### Step1: Fitting form of speckle noise spectrum in wavenumber domain

For 8° and 10° beam, the theoretical model of speckle noise spectrum after considering the range gate averaging effect when K>0 is:

$$P_{sp\_theory} = (bk + c) * \frac{1}{9}(3 + 4\cos(K\Delta x) + 2\cos(2K\Delta x))$$

For  $6^{\circ}$  beam, the measured data of 2 range gates are averaged, when K>0:

$$P_{sp\_theory} = (bk + c) * \frac{1}{2}(1 + \cos(K\Delta x))$$



### Conditions: beam 10, 0° latitude, ascending, uptrack











Fitting the speckle noise spectrum according to the analytical formula of  $P_{sp\_theory}$ ), which can completely describe the changes of the speckle noise spectrum in the wavenumber domain. The conclusion are similar in other conditions.



## Part2 : Establishment of the empirical speckle noise spectrum model

Step2: Variation of the fitting coefficient of speckle noise spectrum in k domain with azimuth

For beam  $10^{\circ}$ ,  $P_{sp\_theory} = (bk + c) * \frac{1}{9}(3 + 4\cos(K\Delta x) + 2\cos(2K\Delta x))$ , the fitting coefficients *b* and *c* are modeled as Gaussian function:

$$b = p_1 + p_2 e^{-\frac{(phi - p_4)^2}{2p_3^2}}$$
$$c = p_1 + p_2 e^{-\frac{(phi - p_4)^2}{2p_3^2}}$$



• Variation of the fitting coefficient of speckle noise spectrum in k domain with azimuth









## Part3:Model verification

Comparison of speckle noise spectrum

### The first sea surface conditions



indirect

between



### The second sea surface conditions





#### The third sea surface conditions





### Calculate SWH using empirical speckle noise spectrum

Data source: data from 2020 July 1st to 2020 July 5th





## Method of removing parasitic peaks

- Calculate the omnidirectional spectrum of the wave according to the wave parameters provided by MFWAM in each partitions.
- When the value of the MF omnidirectional spectrum is less than the set threshold (0.01, for an example ), the modulation spectrum in the wavenumber domain will be zero value in the measured modulation spectrum.







After removing parasitic peaks by using MFWAM data



• The comparison result of dominant wavelength and dominant wave direction is under study.



## Part4: CONCLUSION

- The sample acquisition method of the improved speckle noise spectrum empirical model adopts the indirect method, which can effectively remove the modulation spectrum in the fluctuation spectrum.
- Using  $P_{sp\_theory}$  to fit the speckle noise spectrum dependence with wavenumber can completely characterize the variation of the speckle noise spectrum with the wavenumber.
- Using MFWAM data for parasitic peak removal is more effective in removing false peaks .



## Thank you

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